## Psych215L: Language Acquisition

Lecture 19 Grammar & Complex Systems II

#### **Complex Linguistic Systems**

What is the generative system that creates the observed (structured) data of language (ex: syntax, metrical phonology)?

Observable data: word order Subject Verb Object

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Observable data: word order	Subjec	t verb	Obje	CL		
Kannada				Ei Subject	nglish Verb	Object
Subject t <sub>Object</sub> Verb Object	Ge	rman				
	Subject	Verb	t <sub>Subject</sub>	Object t <sub>v</sub>	erb	

#### **Complex Linguistic Systems**

What is the generative system that creates the observed (structured) data of language (ex: syntax, metrical phonology)?

Observable data: stress contour

**EM**phasis





# General Problems with Learning Complex Linguistic Systems

What children encounter: the output of the generative linguistic system

What children must learn: the components of the system that combine to generate this observable **EM** pha sis



Are all syllables included in larger units? pha sis of a larger unit is/are stressed?



#### The Hypothesis Space

Hypothesis for a language consists of a combination of generalizations about that language (grammar). But this leads to a theoretically infinite hypothesis space.

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Observation: Languages only differ in constrained ways from each other. Not all generalizations are possible.

Are syllables differentiated? {No, Yes-2 distinctions, Yes-3 distinctions, ....} Rinymi {No. X

Which syllable of a larger unit is stressed? {Leftmost, Rightmost, Second from Left,.....

Are all syllables included? {Yes, No-not leftmost, No-not rightmost, ...}

#### The Hypothesis Space

Hypothesis for a language consists of a combination of generalizations about that language (grammar). But this leads to a theoretically infinite hypothesis space.

Observation: Languages only differ in constrained ways from each other. Not all generalizations are possible.

Idea: Bias on hypothesis space -children's hypotheses are constrained so they only consider generalizations that are possible in the world's languages.

Chomsky (1981), Halle & Vergnaud (1987), Tesar & Smolensky (2000)

Which syllable of a larger unit is stressed? {Leftmost, Rightmost}

Are all syllables included? {Yes, No-not leftmost, No-not rightmost}

Are syllables differentiated? {No, Yes-2 distinctions, Yes-3 distinctions}



Linguistic parameters = finite (if large) hypothesis space of possible grammars

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#### Learning Parametric Linguistic Systems

Also, data are often *ambiguous* between competing hypotheses, since multiple grammars can account for the same data point.



#### Parametric Metrical Phonology

Metrical phonology: What tells you to put the EMphasis on a particular SYLIable

Process speakers use: Basic input unit: syllables em pha sis  $\checkmark$ Larger units formed: metrical feet The way these are formed varies from language to language. (em pha) sis  $\downarrow$ Stress assigned within metrical feet (EM pha) sis The way this is done also varies from language to language.



Observable Data: stress contour of word **EM**phasis

## Parametric Metrical Phonology Metrical phonology: What tells you to put the EMphasis on a particular SYLIable

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#### A Brief Tour of Parametric Metrical Phonology

Are syllables differentiated?





# A Brief Tour of Parametric Metrical Phonology Are all syllables included in the first of the fir



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#### A Brief Tour of Parametric Metrical Phonology









#### A Brief Tour of Parametric Metrical Phonology

















#### A Brief Tour of Parametric Metrical Phonology

Are metrical feet unrestricted in size?
Yes: Metrical feet are unrestricted, delimited only by Heavy syllables if there are any (Unbounded). (L L L H) (L) (L L L L L) (S S S S S)
No: Metrical feet are restricted (Bounded).
The size is restricted to 2 options: 2 or 3. Anarrowing of hypothesis space
syllables or moras. (x x) (x x) B-2
Count by syllables (Bounded-Syllabic) (Bounded-Syllabic) (Bounded-Moraic)
$(H L)(L H) \xrightarrow{\text{compare}} (H)(L L)(H)$

















#### Case study: English metrical phonology

Estimate of child input: caretaker speech to children between the ages of 6 months and 2 years (CHILDES [Brent & Bernstein corpora]: MacWhinney 2000)

Total Words: 540505 Mean Length of Utterance: 3.5



Words parsed into syllables using the MRC Psycholinguistic database (Wilson, 1988) and assigned likely stress contours using the American English CALLHOME database of telephone conversation (Canavan et al., 1997)





#### Case study: English metrical phonology

Non-trivial language: English (full of exceptions) Noisy data: 27.03% tokens (38.86% types) incompatible with English grammar on at least one parameter value

Adult English system values:

QS, QSVCH, Em-Some, Em-Right, Ft Dir Right, Bounded, Bounded-2, Bounded-Syllabic, Ft Hd Left

Exceptions:

QI, QSVCL, Em-None, Ft Dir Left, Unbounded, Bounded-3, Bounded-Moraic, Ft Hd Right

#### Case study: English metrical phonology

Non-trivial language: English (full of exceptions) Noisy data: 27.03% tokens (38.86% types) incompatible with English grammar on at least one parameter value

English child-directed speech has a significant quantity of misleading data and is comprised mostly of ambiguous data - it's hard to learn, and therefore interesting!

#### Key point for cognitive modeling: psychological plausibility

Any probabilistic update procedure that children are likely to use must, at the very least, be incremental/online (Vallabha et al. 2007).

Why? Humans (especially human children) don't have infinite memory.



#### Key point for cognitive modeling: psychological plausibility

Any probabilistic update procedure that children are likely to use must, at the very least, be incremental/online (Vallabha et al. 2007).

Why? Humans (especially human children) don't have infinite memory.

Unlikely: human children can hold a whole corpus's worth of data in their minds for analysis later on

Learning algorithms that operate over an entire data set do not have this property. (ex: Foraker et al. 2007, Goldwater et al. 2007)

Desired: Learn from a single data point, or perhaps a small number of data points at most.









#### Biased learner, using only unambiguous data

- Pearl (2008): Success is guaranteed as long as the parameters are learned in a particular order.
- However...this requires the learner to identify unambiguous data and know/derive the appropriate parameter-setting order, which may not be trivial.
- So...is this selective learning bias really necessary? How well do unbiased learners do?

#### Two psychologically plausible probabilistic update procedures



Naïve Parameter Learner (NParLearner)

Probabilistic generation & testing of grammars. (incremental) Hypothesis update: Linear reward-penalty (Bush & Mosteller 1951)

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#### MAP Bayesian Learner (BayesLearner)

Probabilistic generation & testing of grammars. (incremental) Hypothesis update: Bayesian updating (Chew 1971: binomial distribution)

#### Probabilistic learning for English

Probabilistic generation and testing of grammars (Yang 2002)

For each parameter, the learner associates a probability with each of the competing parameter values.

QI = 0.5	QS = 0.5
QSVCL = 0.5	QSVCH = 0.5
Em-Some = 0.5	Em-None = 0.5
Em-Left = 0.5	Em-Right = 0.5
Ft Dir Left = 0.5	Ft Dir Rt = 0.5
Bounded = 0.5	Unbounded = 0.5
Bounded-2 = 0.5	Bounded-3 = 0.5
Bounded-Syl = 0.5	Bounded-Mor = 0.
Ft Hd Left = 0.5	Ft Hd Rt = 0.5
	t
Initially	all are equiprobable

#### Probabilistic learning for English

Probabilistic generation and testing of grammars (Yang 2002)

For each data point encountered, the learner probabilistically generates a grammar



 $\sim$ QI/QS?...if QS, QSVCL or QSVCH? Em-None/Em-Some?...

 $\begin{array}{l} QI = 0.5 \\ QSVCL = 0.5 \\ Em-Some = 0.5 \\ Em-Left = 0.5 \\ Ft Dir Left = 0.5 \\ Bounded = 0.5 \\ Bounded-2 = 0.5 \\ Bounded-Syl = 0.5 \\ Ft Hd Left = 0.5 \end{array}$ 

QS = 0.5  $\begin{array}{l} QS = 0.5 \\ QSVCH = 0.5 \\ Em-None = 0.5 \\ Em-Right = 0.5 \\ Ft Dir Rt = 0.5 \\ Unbounded = 0.5 \\ Bounded - 3 = 0.5 \\ Bounded-Mor = 0.5 \\ Ft Hd Rt = 0.5 \end{array}$ 

QS, QSVCL, Em-None, Ft Dir Right, Bounded, Bounded-2, Bounded-Syl, Ft Hd Right



#### Probabilistic learning for English

Probabilistic generation and testing of grammars (Yang 2002) The learner then uses this grammar to generate a stress contour for the observed data point.

If the generated stress contour does *not* match the observed stress contour, all participating parameter values are punished. AFterNOON)

→ <sup>(L</sup> L) (H) QS, QSVCL, Em-None, Ft Dir Left, Bounded, Bounded-2, Bounded-Syl, Ft Hd Right VC CVC CVVC

af TER NOON

## Probabilistic learning for English

Probabilistic generation and testing of grammars (Yang 2002) The learner then uses this grammar to generate a stress contour for the observed data point. QS, QSVCL, Em-None, Ft Dir Right, Bounded, → Bounded-2, Bounded-Syl, Ft Hd Right AF ter NOON AFterNOON Match (success): reward all QS, QSVCL, Em-None, Ft Dir Left, Bounded, Bounded-2, Bounded-Syl, Ft Hd Right (L L) (H) ed- VC CVC CVVC af TER NOON Mismatch (failure): punish all

#### Probabilistic learning for English

Probabilistic generation and testing of grammars (Yang 2002)

Update parameter value probabilities

NParLearner (Yang 2002): Linear Reward-Penalty

Learning rate γ: small = small changes large = large changes  $p_{v2} = 1 - p_{v1}$ reward v1

 $\begin{array}{c} \text{Parameter values } \\ p_{v1} = p_{v1} + \gamma(1 - p_{v1}) \end{array}$  $p_{v1} = (1 - \gamma)p_{v1}$  $p_{v2} = 1 - p_{v1}$ punish v1

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Probabilistic learning for English	
abilistic generation and testing of grammars (Yang 2002)	
ate parameter value probabilities	

Prot

Upc

Learning rate v:	$Parameter vanp_{v1} = p_{v1} + \gamma(1 - p_{v1})$	lues v1 vs. v2 $p_{v1} = (1 - \gamma)p_{v1}$
small = small changes large = large changes	$\mathbf{p}_{v2} = 1 - \mathbf{p}_{v1}$ reward v1	$\mathbf{p}_{v2} = 1 - \mathbf{p}_{v1}$ punish v1
BayesLearner: Ba	ayesian update of binomia	al distribution (Chew 1971)
BayesLearner: Ba Parameters $\alpha$ , $\beta$ : $\alpha = \beta$ : initial bias at $p = 0.5$	ayesian update of binomia Parame $\alpha + 1$	al distribution (Chew 1971) ter value v1 + <i>successes</i>
BayesLearner: Ba Parameters $\alpha$ , $\beta$ : $\alpha = \beta$ : initial bias at p = 0.5 $\alpha$ , $\beta < 1$ : initial bias toward endpoints (p = 0.0, 1.0)	ayesian update of binomia $p_r = \frac{\alpha + 1}{\alpha + \beta + 2}$ reward: success + 1	al distribution (Chew 1971) ter value v1 + successes + total data seen punish: success + 0

#### Probabilistic learning for English

Probabilistic generation and testing of grammars (Yang 2002)

Update parameter value probabilities

After learning: expect probabilities of parameter values to converge near endpoints (above/below some threshold).

QI = 0.3	QS = 0.7
QSVCL = 0.6	QSVCH = 0.4
Em-Some = 0.1	Em-None = 0.9

# Probabilistic learning for English

Probabilistic generation and testing of grammars (Yang 2002)

Update parameter value probabilities

After learning: expect probabilities of parameter values to converge near endpoints (above/below some threshold).

QI = 0.3 QS = 0.7 QSVCL = 0.6 QSVCH = 0.4 Em-Some = 0.1 Em-None = 0.9

Once set, a parameter value is always used during generation, since its probability is 1.0. Q/QS?...if QS, QSVCL or QSVCH? (Em-Some = 0.0) Em-None ...

QS, QSVCL, Em-None, Ft Dir Right, Bounded, Bounded-2, Bounded-Syl, Ft Hd Right

#### Probabilistic learning for English

Goal: Converge on English values after learning period is over

Learning Period Length: 1,666,667 words (based on estimates of words heard in a 6 month period, using Akhtar et al. (2004)).

QS, QSVCH, Em-Some, Em-Right, Ft Dir Right, Bounded, Bounded-2, Bounded-Syllabic, Ft Hd Left

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Model	Success rate (1000 runs)	6
NParLearner, y = .001, .0025, .01, .025	0.0%	ATA:
BayesLearner	0.0%	an

Examples of incorrect target grammars NParLearner: Em-None, Ft Hd Left, Unb, Ft Dir Left, QI QS, Em-None, QSVCH, Ft Dir Rt, Ft Hd Left, B-Mor, Bounded, Bounded-2

BayesLearner: QS, Em-Some, Em-Right, QSVCH, Ft Hd Left, Ft Dir Rt, Unb Bounded, B-Syl, QI, Ft Hd Left, Em-None, Ft Dir Left, B-2





#### Probabilistic learning for English: Modifications

- Probabilistic generation and testing of grammars (Yang 2002)
- Update parameter value probabilities
- Count-learning: smooth out some of the irregularities in the data, better deal with complex systems (Yang 2002)

- Implementation (Yang 2002): Matching contour = increase parameter value's batch counter by 1 Mismatching contour = decrease parameter value's batch counter by 1
- Invoke update procedure (Linear Reward-Penalty or Bayesian Updating) when count limit c is reached.

#### Probabilistic learning for English: Modifications

Probabilistic generation and testing of grammars (Yang 2002)

Update parameter value probabilities + Count Learning

NParLearner (Yan	g 2002): Linear Reward-Pe	enalty
Invoke when the batch counter for $p_{v1}$ or $p_{v2}$ equals <i>c</i> .	Parameter va $p_{v1} = p_{v1} + \gamma(1 - p_{v1})$ $p_{v2} = 1 - p_{v1}$ reward v1	lues v1 vs. v2 $p_{v1} = (1 - \gamma)p_{v1}$ $p_{v2} = 1 - p_{v1}$ punish v1
BayesLearner: Ba	ayesian update of binomia	al distribution (Chew 1971)
invoke when the batch counter for $p_{v1}$ or $p_{v2}$ equals c.	Paramet $\alpha + 1$	ter value v1 + successes
111 112 1	$\alpha + \beta + 2 + \beta$	+ total data seen

reward: success + 1

#### Probabilistic learning for English

Goal: Converge on English values after learning period is over	Learning Period Length: 1,666,667 words (based on estimates of words heard in a 6 month period, using Akhtar et al. (2004)).	
QS, QSVCH, Em-Some, Em- Bounded-Syllabic, Ft Hd Lef	Right, Ft Dir Right, Bounded t	, Bounded-2
Model	Success rate (1000 runs)	6
NParLearner, y = .001, .0025, .01, .025	0.0%	ATE D
BayesLearner	0.0%	and

#### Probabilistic learning for English

Goal: Converge on English values after learning period is over

Note: total data seen + 1

Learning Period Length: 1,666,667 words (based on estimates of words heard in a 6 month period, using Akhtar et al. (2004)).

punish: success + 0

QS, QSVCH, Em-Some, Em-Right, Ft Dir Right, Bounded, Bounded-2, Bounded-Syllabic, Ft Hd Left Model Success rate (1000 runs)

0.0%	MAN 2
0.0%	and
0.033%	
0.0%	
	0.0%

What gives?

Metrical phonology system here: 5 main parameters, 4 sub-parameters (adapted from Dresher 1999 and Hayes 1995)

156 viable grammars



#### English is not the optimal grammar

Adult English system values: QS, QSVCH, Em-Some, Em-Right, Ft Dir Right, Bounded, Bounded-2, Bounded-Syllabic, Ft Hd Left

Of the 156 available grammars, English is ranked 52nd by token compatibility 56th by type compatibility

# Unbiased probabilistic learning is more likely to find the optimal grammar

English is compatible with 72.97% of the data by tokens, and 62.14% of the data by types.

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The average compatibility of the grammars selected by unbiased probabilistic learning (using batch learning) was **73.56%** of the data by tokens and **63.3%** of the data by types.

## Unbiased probabilistic learning is more likely to find the optimal grammar

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The average compatibility of the grammars selected by unbiased probabilistic learning (using batch learning) was **73.56%** of the data by tokens and **63.3%** of the data by types.

Unbiased probabilistic learning works just fine - it's the English childdirected speech that's the problem!

Since we believe children converge on the English grammar, maybe children aren't unbiased learners. So what kind of bias might work?





#### Probabilistic learning for English

Goal: Converge on English values after learning period is over

Learning Period Length: 1,666,667 words (based on estimates of words heard in a 6 month period, using Akhtar et al. (2004)). QS, QSVCH, Em-Some, Em-Right, Ft Dir Right, Bounded, Bounded-2, Bounded-Syllabic, Ft Hd Left

Model	Success rate (1000 runs)	(and
NParLearner, y = .001, .0025, .01, .025	0.000%	NE ?
BayesLearner	0.100%	are
NParLearner + Counting,		
γ = .001, .0025, .01, .025, c = 2, 5, 7, 10, 15, 20	1.650%	
BayesLearner + Counting,		The best isn'
c = 2, 5, 7, 10, 15, 20	1.780%	so great, eve
		restricted
		hypothesis
		space

#### Why not? Because English is still not the optimal grammar

Adult English system values:

QS, QSVCH, Em-Some, Em-Right, Ft Dir Right, Bounded, Bounded-2, Bounded-Syllabic, Ft Hd Left

Of the 60 available grammars, English is ranked 18th by token compatibility 18th by type compatibility

#### Other Biases for Children



One idea: selective learning bias to heed only unambiguous data (Pearl 2007, 2008)

A general class of probabilistic learning models is guaranteed to succeed as long as parameters are acquired in particular orders. (Many of these special orders can be derived from properties of the data.)

Why does learning from unambiguous data work? If parameters are set in these special orders, the unambiguous data distribution favors the correct parameter value for English and so English parameter values are in fact optimal.

#### Where we are now

Modeling: aimed at understanding how children learn language, generating child behavior by using psychologically plausible methods



Learning complex systems: difficult Correct grammar is not the optimal grammar for child's input data without some kind of additional bias.

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Modeling: aimed at understanding how children learn language, generating child behavior by using choloc cally plausible methods nsv

Learning complex systems: difficult.

Bias on data (Pearl 2008): interpretive bias to use highly

informative data

Correct grammar is not the optimal grammar for child's input data without some kind of additional bias.



linguistic parameters already known, some values already known



#### Where we can go

#### (1) Selective bias:

How successful on other difficult learning cases (noisy data sets, other complex systems)?

Are there other methods of implementing selective biases that ead to successful learning (productive data: Yang 2005)? How necessary is a selective bias? Are there objective biases that might cause the correct grammar to be the optimal grammar for the English data?



## Where we can go

#### (1) Selective bias:

How successful on other difficult learning cases (noisy data sets, other complex systems)? Are there other methods of implementing selective biases that lead to successful learning (productive data: Yang 2005)? How necessary is a selective bias? Are there other biases that might cause the correct grammar to be the optimal grammar for the English data?



(2) Hypothesis space bias: Will other hypothesis space instantiations allow the correct grammar to be the optimal grammar (constraints (Tesar & Smolensky 2000)? What learning mechanisms make the correct grammar learnable in these hypothesis spaces? Is it possible to converge on the correct grammar given a less well-defined hypothesis space a priori (e.g. only knowing that units larger than syllables are required)?



+ other/fewer biases?

#### The big idea

Complex linguistic systems may well require something beyond probabilistic methods in order to be learned as well as children learn them given the data children are given.

What this likely is: learner biases in hypothesis space and data intake (how to deploy probabilistic learning)

What we can do with computational modeling: (a) empirically test learning strategies that would be difficult to investigate with standard techniques

(b) generate experimentally testable predictions about learning (Pearl 2008: learning trajectory)